

Exceptions are raised with a raise statement.

```
raise <expr>
```

<expr> must evaluate to a subclass of BaseException or an instance of one.

```
try:
  <try suite>
except <exception class> as <name>:
  <except suite>
```

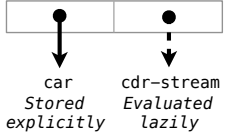
The <try suite> is executed first. If, during the course of executing the <try suite>, an exception is raised that is not handled otherwise, and

```
>>> try:
      x = 1/0
    except ZeroDivisionError as e:
      print('handling a', type(e))
      x = 0
    >>> x
0
handling a <class 'ZeroDivisionError'>
```

If the class of the exception inherits from <exception class>, then The <except suite> is executed, with <name> bound to the exception.

```
(car (cons 1 2)) -> 1
(cdr (cons 1 2)) -> 2
(car (cons 1 (/ 1 0))) -> ERROR
(cdr (cons 1 (/ 1 0))) -> ERROR
```

A stream is a Scheme pair, but the cdr is evaluated lazily



```
(car (cons-stream 1 2)) -> 1
(cdr-stream (cons-stream 1 2)) -> 2
(car (cons-stream 1 (/ 1 0))) -> 1
(cdr-stream (cons-stream 1 (/ 1 0))) -> ERROR
```

```
(define (range-stream a b)
  (if (>= a b)
      nil
      (cons-stream a (range-stream (+ a 1) b))))
(define lots (range-stream 1 1000000000000000000))
scm> (car (cdr-stream lots))
2
scm> (car (cdr-stream (cdr-stream lots)))
3
```



```
(define ones (cons-stream 1 ones))
(define (add-streams s t)
  (cons-stream (+ (car s) (car t))
              (add-streams (cdr-stream s)
                           (cdr-stream t))))
(define ints (cons-stream 1 (add-streams ones ints)))
(define (map-stream f s)
  (if (null? s)
      nil
      (cons-stream (f (car s))
                  (map-stream f (cdr-stream s)))))
(define (filter-stream f s)
  (if (null? s)
      nil
      (if (f (car s))
          (cons-stream (car s)
                      (filter-stream f (cdr-stream s)))
          (filter-stream f (cdr-stream s)))))
```

The built-in Scheme list data structure can represent combinations

```
scm> (list 'quotient 10 2) scm> (eval (list 'quotient 10 2))
(quotient 10 2) 5
```

A macro is an operation performed on source code before evaluation

```
(define-macro (twice expr)
  (list 'begin expr expr))
> (twice (print 2))
2
2
(begin (print 2) (print 2))
```

Evaluation procedure of a macro call expression:

- Evaluate the operator sub-expression, which evaluates to a macro
- Call the macro procedure on the operand expressions
- Evaluate the expression returned from the macro procedure

```
scm> (map (lambda (x) (* x x)) '(2 3)) scm> (for x '(2 3) (* x x))
(4 9) (4 9)
(define-macro (for sym vals expr) OR (define-macro (for sym vals expr)
  (list 'map (list 'lambda (map (lambda (,sym) ,expr) ,vals))
        (list sym)
        expr vals))
```

A procedure call that has not yet returned is active. Some procedure calls are tail calls. A Scheme interpreter should support an unbounded number of active tail calls.

- A tail call is a call expression in a tail context, which are:
  - The last body expression in a lambda expression
  - Expressions 2 & 3 (consequent & alternative) in a tail context if
  - All non-predicate sub-expressions in a tail context cond
  - The last sub-expression in a tail context and, or, begin, or let

```
(define (factorial n k)
  (if (= n 0) k
      (factorial (- n 1) (* k n))))
(define (length s)
  (if (null? s) 0
      (+ 1 (length (cdr s)))))
(define (length-tail s)
  (define (length-iter s n)
    (if (null? s) n
        (length-iter (cdr s) (+ 1 n))))
  (length-iter s 0))
```

Not a tail call

Recursive call is a tail call

- Recursive decomposition: finding simpler instances of a problem.
  - E.g., count\_partitions(6, 4)
  - Explore two possibilities:
    - Use at least one 4
    - Don't use any 4
  - Solve two simpler problems:
    - count\_partitions(2, 4) with m = count\_partitions(n-m, m)
    - count\_partitions(6, 3) without\_m = count\_partitions(n, m-1)
  - Tree recursion often involves exploring different choices.
- ```
def count_partitions(n, m):
  if n == 0:
    return 1
  elif n < 0:
    return 0
  elif m == 0:
    return 0
  else:
    with_m = count_partitions(n-m, m)
    without_m = count_partitions(n, m-1)
    return with_m + without_m
```

```
(define size 5) ; => size
(* 2 size) ; => 10
(if (> size 0) size (- size)) ; => 5
(cond ((> size 0) size) ((= size 0) 0) (else (- size))) ; => 5
((lambda (x y) (+ x y size)) size (+ 1 2)) ; => 13
(let ((a size) (b (+ 1 2))) (* 2 a b)) ; => 30
(map (lambda (x) (+ x size)) (quote (2 3 4))) ; => (7 8 9)
(filter odd? (quote (2 3 4))) ; => (3)
(list (cons 1 2) size 'size) ; => ((1 . 2) 5 size)
(list (equal? 1 2) (null? nil) (= 3 4) (eq? 5 5)) ; => (#f #t #f #t)
(list (or #f #t) (or) (or 1 2)) ; => (#t #f 1)
(list (and #f #t) (and) (and 1 2)) ; => (#f #t 2)
(append '1 2) '(3 4)) ; => (1 2 3 4)
(not (> 1 2)) ; => #t
(begin (define x (+ size 1)) (* x 2)) ; => 12
(+ size (- ,size) ,(* 3 4)) ; => (+ size (- 5) 12)
(force (delay (+ 1 2))) ; => 3
```

```
; Return a copy of s reversed.
(define (reverse s)
  (define (iter s r)
    (if (null? s) r
        (iter (cdr s)
              (cons (car s) r))))
  (iter s nil))

; Apply fn to each element of s.
(define (map fn s)
  (define (map-reverse s m)
    (if (null? s) m
        (map-reverse (cdr s)
                      (cons (fn (car s)) m))))
  (reverse (map-reverse s nil)))
```

A table has columns and rows

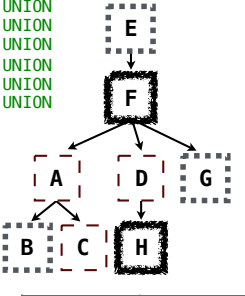
| Latitude | Longitude | Name        |
|----------|-----------|-------------|
| 38       | 122       | Berkeley    |
| 42       | 71        | Cambridge   |
| 45       | 93        | Minneapolis |

A column has a name and a type

A row has a value for each column

```
SELECT [expression] AS [name], [expression] AS [name], ... ;
SELECT [columns] FROM [table] WHERE [condition] ORDER BY [order];
```

```
CREATE TABLE parents AS
SELECT "abraham" AS parent, "barack" AS child UNION
SELECT "abraham" , "clinton" UNION
SELECT "delano" , "herbert" UNION
SELECT "fillmore" , "abraham" UNION
SELECT "fillmore" , "delano" UNION
SELECT "fillmore" , "grover" UNION
SELECT "eisenhower" , "fillmore";
```



```
CREATE TABLE dogs AS
SELECT "abraham" AS name, "long" AS fur UNION
SELECT "barack" , "short" UNION
SELECT "clinton" , "long" UNION
SELECT "delano" , "long" UNION
SELECT "eisenhower" , "short" UNION
SELECT "fillmore" , "curly" UNION
SELECT "grover" , "short" UNION
SELECT "herbert" , "curly";
```

```
SELECT a.child AS first, b.child AS second
FROM parents AS a, parents AS b
WHERE a.parent = b.parent AND a.child < b.child;
```

| First   | Second  |
|---------|---------|
| barack  | clinton |
| abraham | delano  |
| abraham | grover  |
| delano  | grover  |

The number of groups is the number of unique values of an expression

A having clause filters the set of groups that are aggregated

```
select weight/legs, count(*) from animals
group by weight/legs
having count(*)>1;
```

| weight/legs | count(*) |
|-------------|----------|
| 5           | 2        |
| 2           | 2        |

weight/legs=5

weight/legs=2

weight/legs=2

weight/legs=3

weight/legs=5

weight/legs=6000

| kind    | legs | weight |
|---------|------|--------|
| dog     | 4    | 20     |
| cat     | 4    | 10     |
| ferret  | 4    | 10     |
| parrot  | 2    | 6      |
| penguin | 2    | 10     |
| t-rex   | 2    | 12000  |

```
CREATE TABLE ints(n UNIQUE, prime DEFAULT 1);
INSERT INTO ints VALUES (2, 1), (3, 1);
INSERT INTO ints(n) VALUES (4), (5), (6), (7), (8);
UPDATE ints SET prime=0 WHERE n > 2 AND n % 2 = 0;
DELETE FROM ints WHERE prime=0;
```

| n | prime |
|---|-------|
| 2 | 1     |
| 3 | 1     |
| 5 | 1     |
| 7 | 1     |

The way in which names are looked up in Scheme and Python is called lexical scope (or static scope).

Lexical scope: The parent of a frame is the environment in which a procedure was defined. (lambda ...)

Dynamic scope: The parent of a frame is the environment in which a procedure was called. (mu ...)

```
> (define f (mu (x) (+ x y)))
> (define g (lambda (x y) (f (+ x x))))
> (g 3 7)
13
```

Scheme programs consist of expressions, which can be:

- Primitive expressions: 2, 3.3, true, +, quotient, ...
- Combinations: (quotient 10 2), (not true), ...

Numbers are self-evaluating; *symbols* are bound to values. Call expressions have an operator and 0 or more operands. A combination that is not a call expression is a *special form*:

- If expression: (if <predicate> <consequent> <alternative>)
- Binding names: (define <name> <expression>)
- New procedures: (define (<name> <formal parameters>) <body>)

```
> (define pi 3.14)
> (* pi 2)
6.28

> (define (abs x)
  (if (< x 0)
      (- x)
      x))
> (abs -3)
3
```

Lambda expressions evaluate to anonymous procedures.

```
(lambda (<formal-parameters>) <body>)
```

Two equivalent expressions:

```
(define (plus4 x) (+ x 4))
(define plus4 (lambda (x) (+ x 4)))
```



An operator can be a combination too:

```
((lambda (x y z) (+ x y (square z))) 1 2 3)
```

In the late 1950s, computer scientists used confusing names.

- **cons**: Two-argument procedure that **creates a pair**
  - **car**: Procedure that returns the **first element** of a pair
  - **cdr**: Procedure that returns the **second element** of a pair
  - **nil**: The empty list
- They also used a non-obvious notation for linked lists.
- A (linked) Scheme list is a pair in which the second element is nil or a Scheme list.
  - Scheme lists are written as space-separated combinations.
  - A dotted list has an arbitrary value for the second element of the last pair. Dotted lists may not be well-formed lists.

```
> (define x (cons 1 2))
> x
(1 . 2)
> (car x)
1
> (cdr x)
2
> (cons 1 (cons 2 (cons 3 (cons 4 nil))))
(1 2 3 4)
```

Not a well-formed list!

Symbols normally refer to values; how do we refer to symbols?

```
> (define a 1)
> (define b 2)
> (list a b)
(1 2)
```

No sign of "a" and "b" in the resulting value

Quotation is used to refer to symbols directly in Lisp.

```
> (list 'a 'b)
(a b)
> (list 'a b)
(a 2)
```

Symbols are now values

Quotation can also be applied to combinations to form lists.

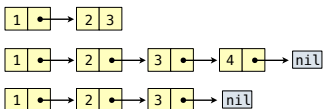
```
> (car '(a b c))
a
> (cdr '(a b c))
(b c)
```

Dots can be used in a quoted list to specify the second element of the final pair.

```
> (cdr (cdr '(1 2 . 3)))
3
```

However, dots appear in the output only of ill-formed lists.

```
> '(1 2 . 3)
(1 2 . 3)
> '(1 2 . (3 4))
(1 2 3 4)
> '(1 2 3 . nil)
(1 2 3)
> (cdr '((1 2) . (3 4 . (5))))
(3 4 5)
```



**class Pair:**  
"""A Pair has first and second attributes.

For a Pair to be a well-formed list, second is either a well-formed list or nil.

```
def __init__(self, first, second):
    self.first = first
    self.second = second
```

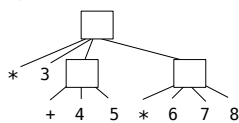
```
>>> s = Pair(1, Pair(2, Pair(3, nil)))
>>> print(s)
(1 2 3)
>>> print(Pair(1, 2))
(1 . 2)
>>> print(Pair(1, Pair(2, 3)))
(1 2 . 3)
>>> print(Pair(1, Pair(2, 3)).second)
(2 . 3)
```

The Calculator language has primitive expressions and call expressions

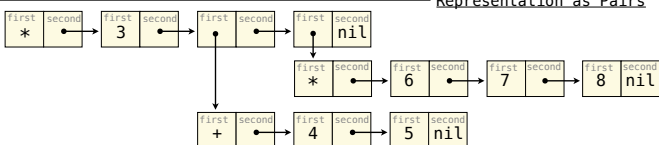
Calculator Expression

```
(* 3
 (+ 4 5)
 (* 6 7 8))
```

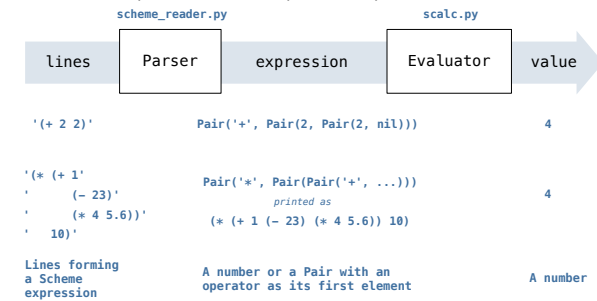
Expression Tree



Representation as Pairs



A basic interpreter has two parts: a *parser* and an *evaluator*.



A Scheme list is written as elements in parentheses:

```
(<element> <element> ... <element>)
```

A Scheme list

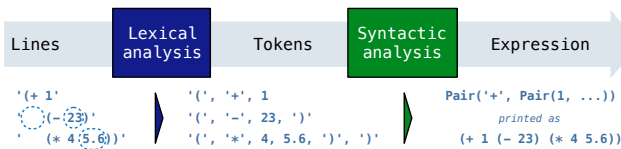
Each <element> can be a combination or atom (primitive).

```
(+ (* 3 (+ (* 2 4) (+ 3 5))) (+ (- 10 7) 6))
```

The task of *parsing* a language involves coercing a string representation of an expression to the expression itself.

Parsers must validate that expressions are well-formed.

A Parser takes a sequence of lines and returns an expression.



- Iterative process
- Checks for malformed tokens
- Determines types of tokens
- Processes one line at a time

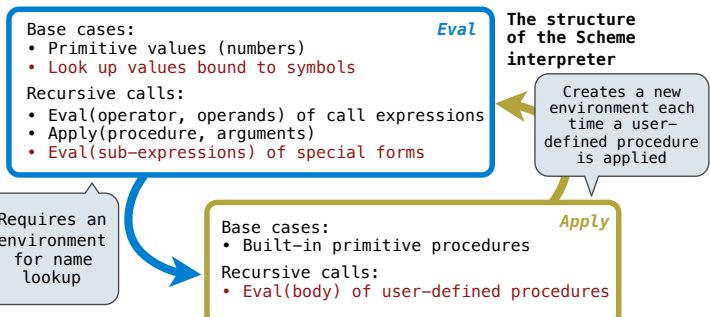
- Tree-recursive process
- Balances parentheses
- Returns tree structure
- Processes multiple lines

Syntactic analysis identifies the hierarchical structure of an expression, which may be nested.

Each call to scheme\_read consumes the input tokens for exactly one expression.

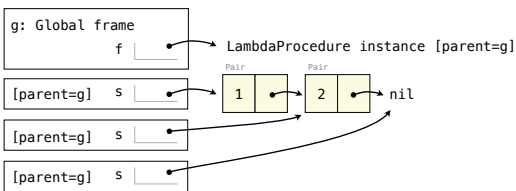
**Base case:** symbols and numbers

**Recursive call:** scheme\_read sub-expressions and combine them



To apply a user-defined procedure, create a new frame in which formal parameters are bound to argument values, whose parent is the env of the procedure, then evaluate the body of the procedure in the environment that starts with this new frame.

```
(define (f s) (if (null? s) '(3) (cons (car s) (f (cdr s)))))
(f (list 1 2))
```



How to Design Functions:

- 1) Identify the information that must be represented and how it is represented. Illustrate with examples.
- 2) State what kind of data the desired function consumes and produces. Formulate a concise answer to the question *what* the function computes.
- 3) Work through examples that illustrate the function's purpose.
- 4) Outline the function as a template.
- 5) Fill in the gaps in the function template. Exploit the purpose statement and the examples.
- 6) Convert examples into tests and ensure that the function passes them.